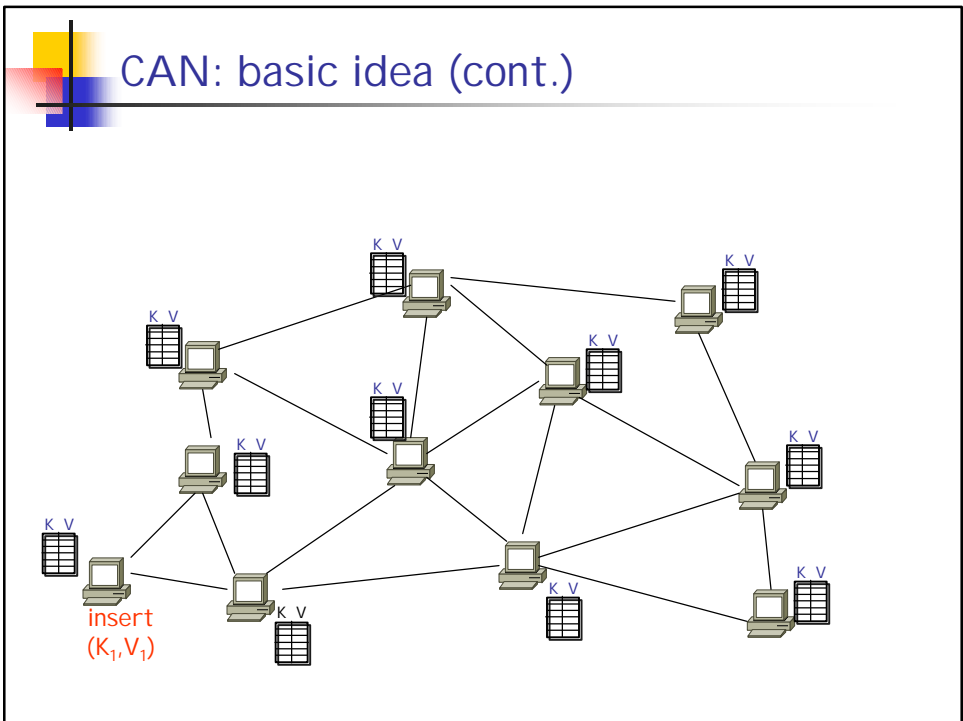
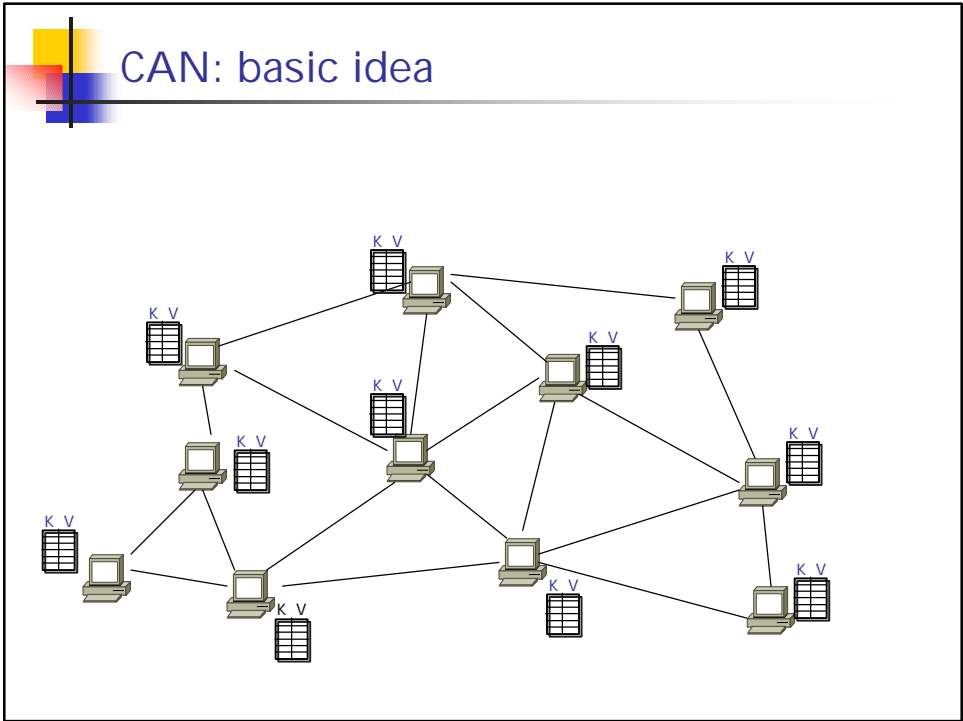
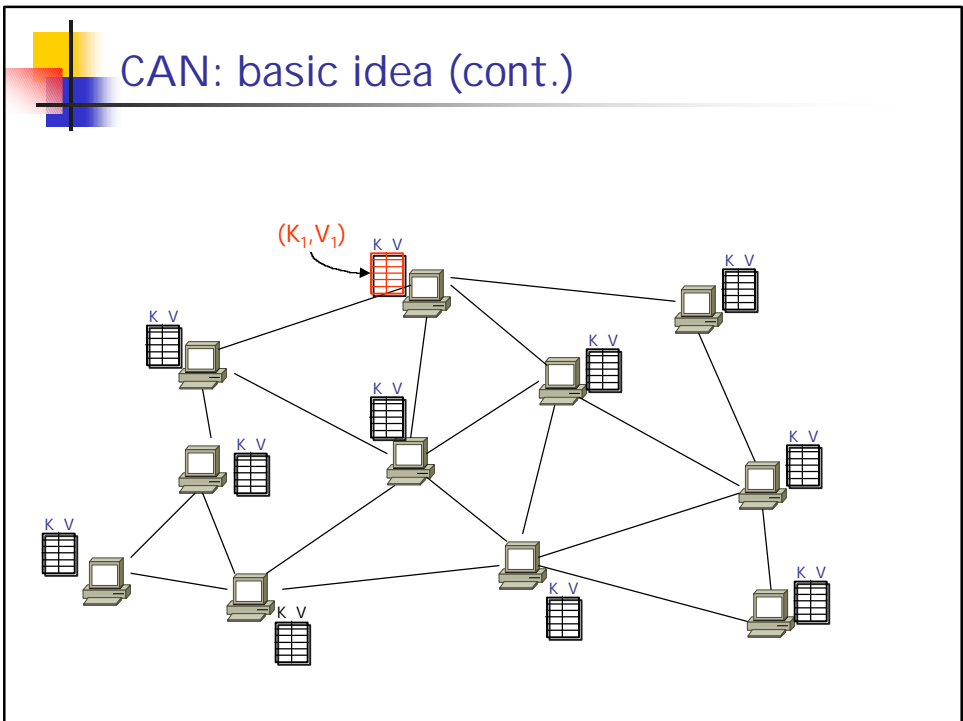
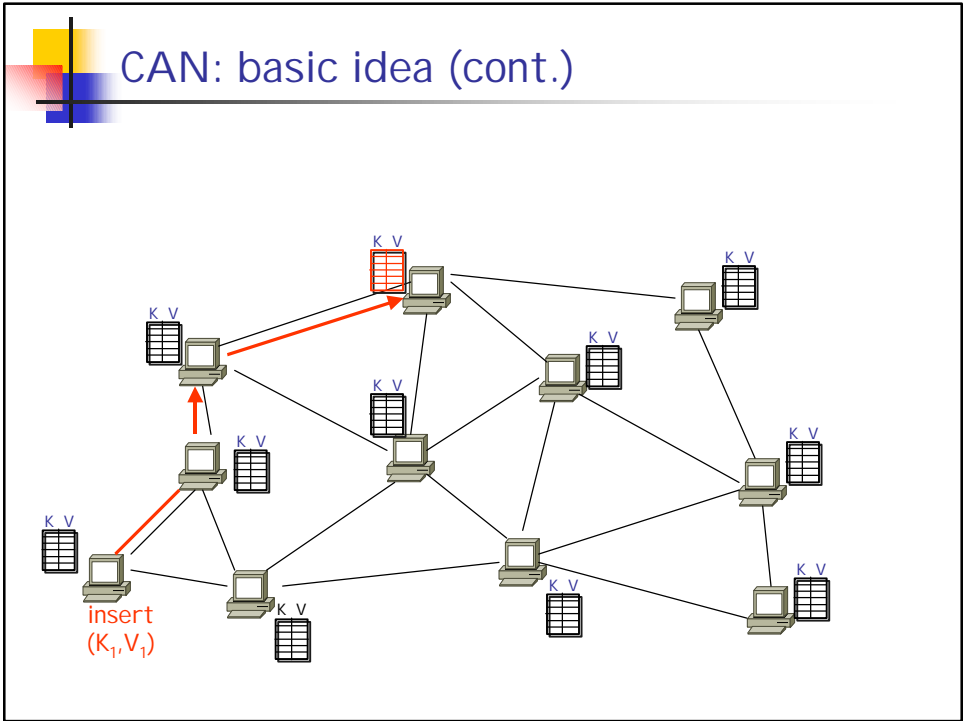


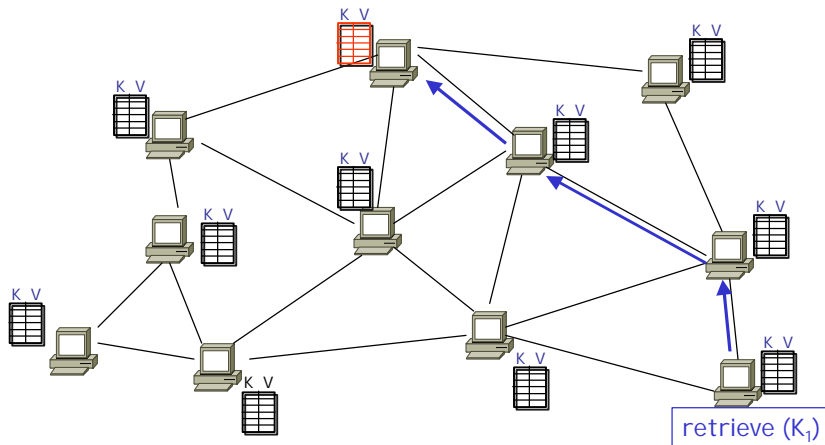
## Content-Addressable-Network (CAN)

- CAN: Internet Scale Hash table
- Interface
  - insert(key,value)
  - value = retrieve(key)
- Idea: associate to each node and item a unique coordinate in an d-dimensional Cartesian space.
- Properties
  - scalable
  - operationally simple
  - good performance



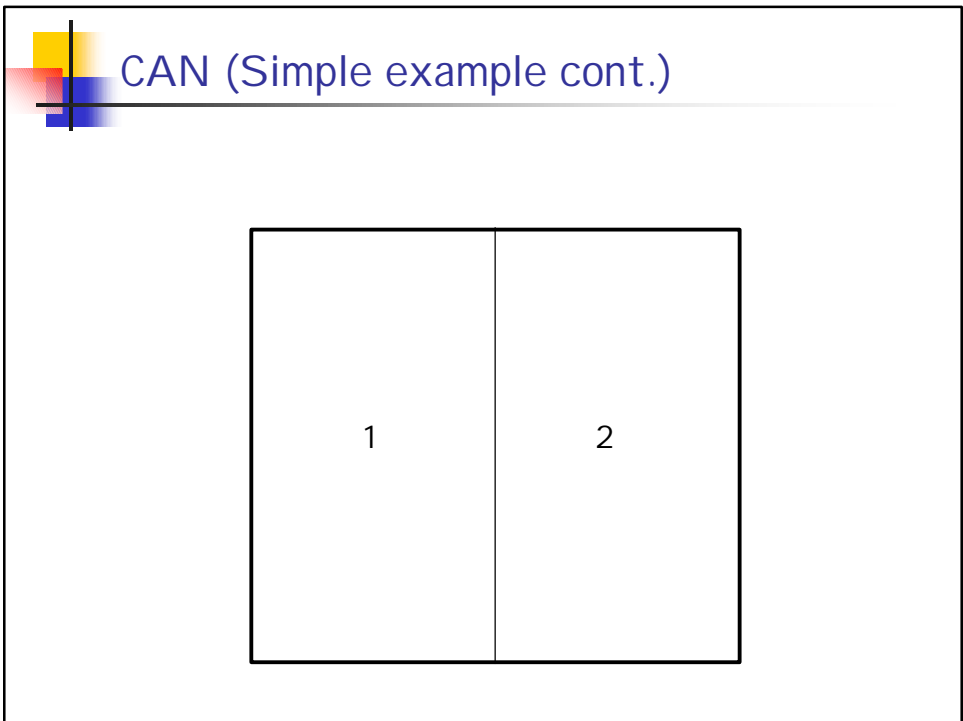
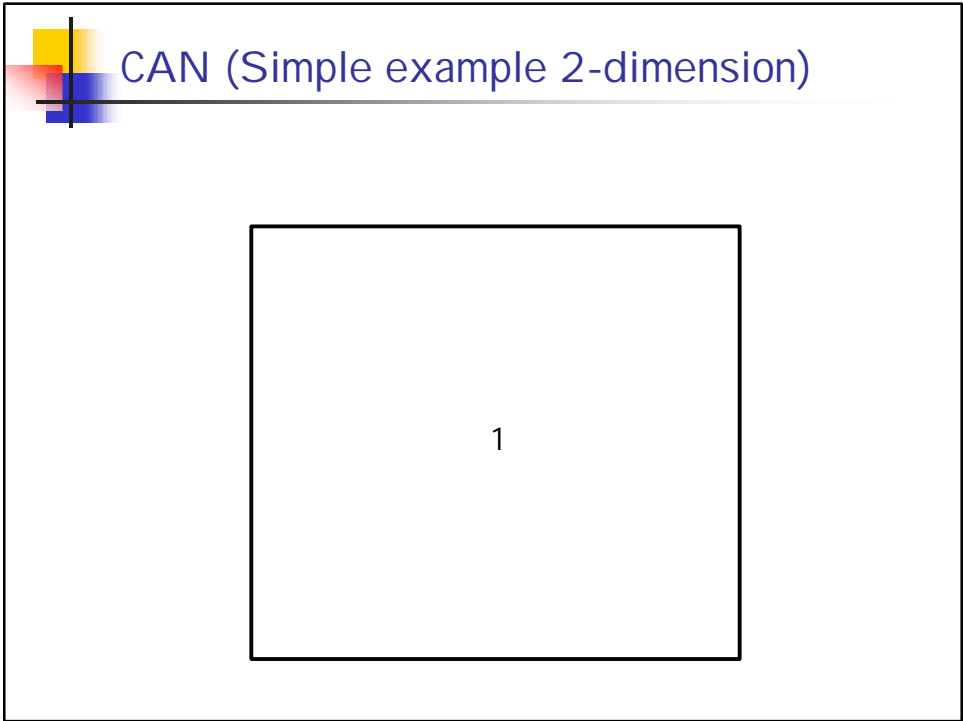


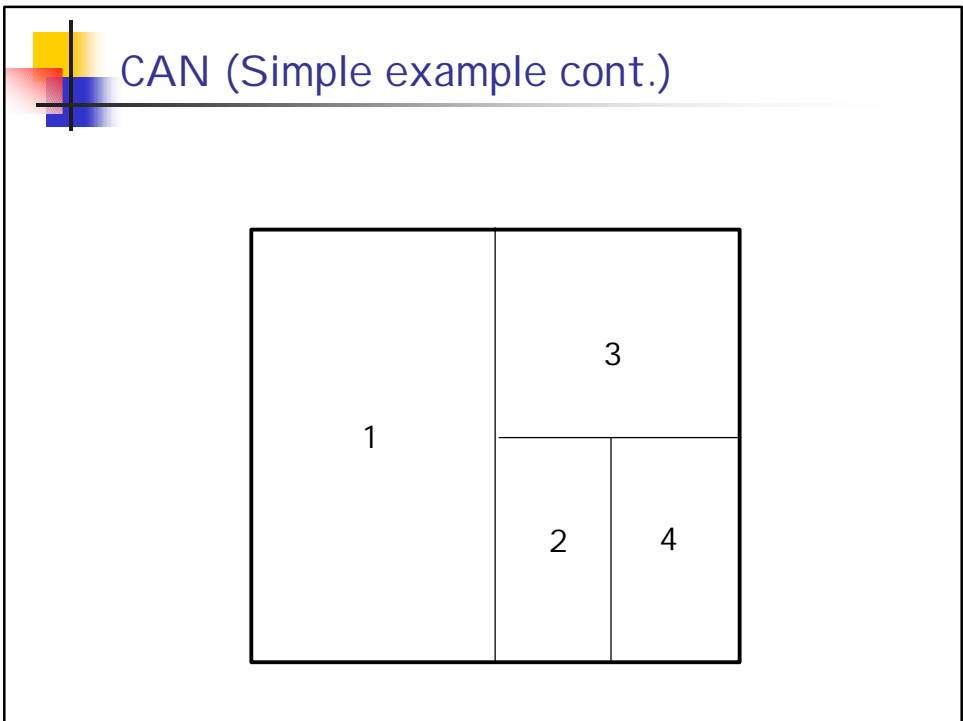
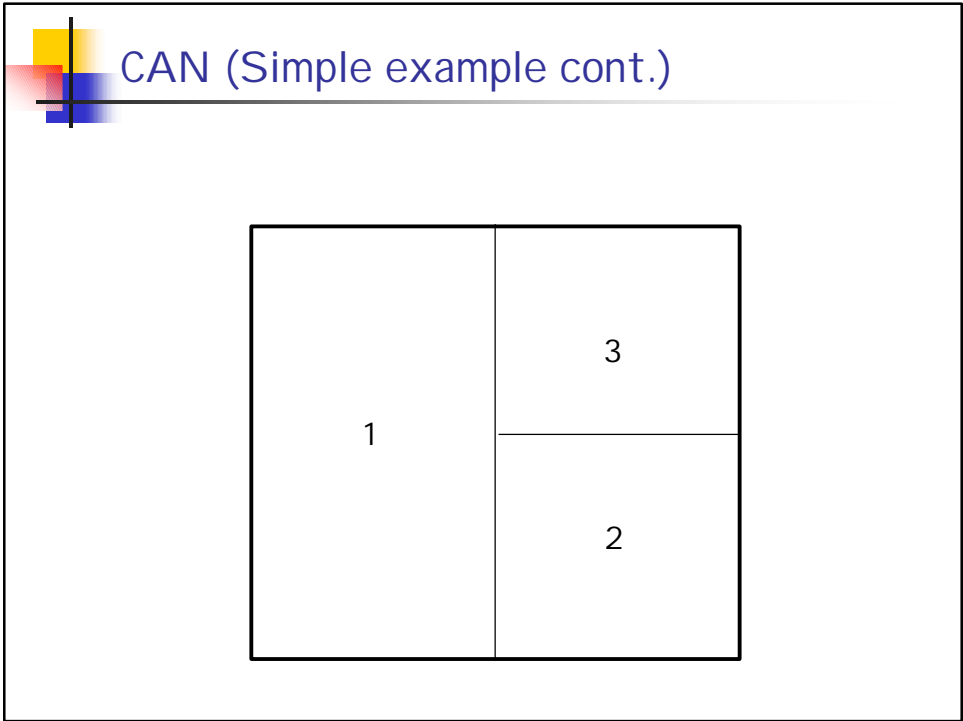
## CAN: basic idea (cont.)




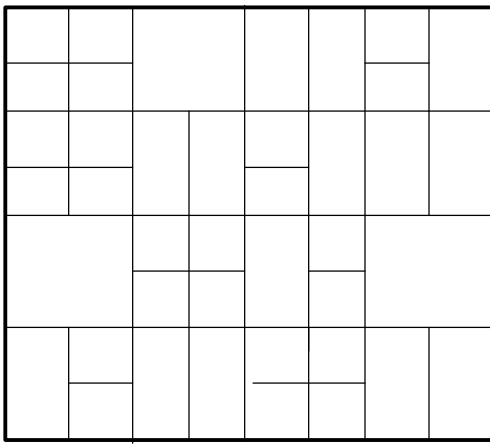
## CAN (Solution)

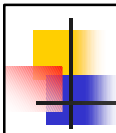
- virtual Cartesian coordinate space
- entire space is partitioned amongst all the nodes
  - every node "owns" a zone in the overall space
- abstraction
  - can store data at "points" in the space
  - can route from one "point" to another
- point = node that owns the enclosing zone

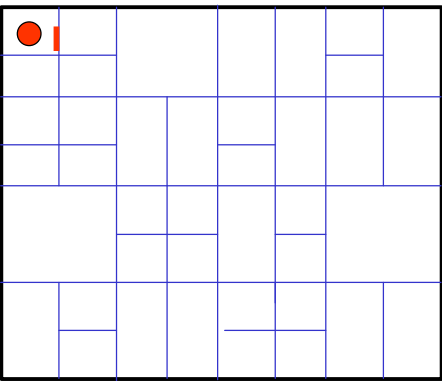




 CAN (Simple example cont.)



 CAN ( Insert)



CAN ( Insert cont.)

node I::insert(K,V)

CAN ( Insert cont.)

node I::insert(K,V)

(1)  $a = h_x(K)$

$x = a$



CAN ( Insert cont.)

node I::insert(K,V)

(1)  $a = h_x(K)$   
 $b = h_y(K)$

The diagram shows a grid of blue lines. A red dot is located in the top-left corner. A black dot is located at the intersection of a horizontal dashed line labeled 'y = b' and a vertical dashed line labeled 'x = a'.

CAN ( Insert cont.)

node I::insert(K,V)

(1)  $a = h_x(K)$   
 $b = h_y(K)$

(2) route(K,V) -> (a,b)

The diagram shows a grid of blue lines. A red dot is located in the top-left corner. A black dot is located at the intersection of a horizontal dashed line labeled 'y = b' and a vertical dashed line labeled 'x = a'. An arrow points from the red dot to the black dot.

## CAN ( Insert cont.)

node I::insert(K,V)

- (1)  $a = h_x(K)$   
 $b = h_y(K)$
- (2) route(K,V) -> (a,b)
- (3) (a,b) stores (K,V)

## CAN ( Retrieve)

node J::retrieve(K)

- (1)  $a = h_x(K)$   
 $b = h_y(K)$
- (2) route "retrieve(K)" to (a,b)

## CAN ( A missing part)

Data stored in the CAN is addressed by name (i.e. key), not location (i.e. IP address)

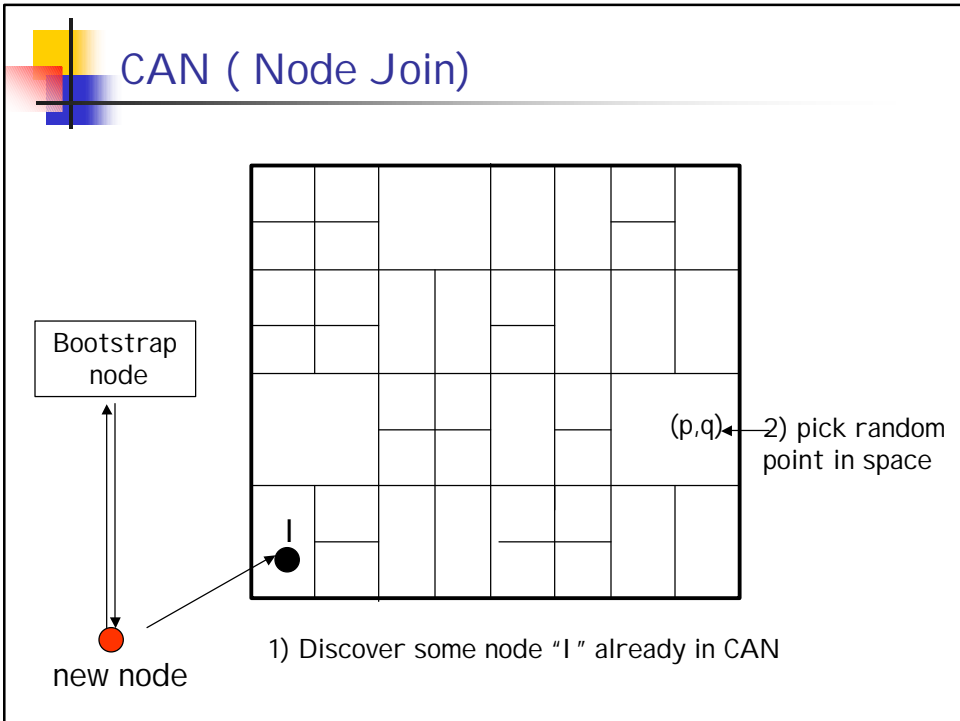
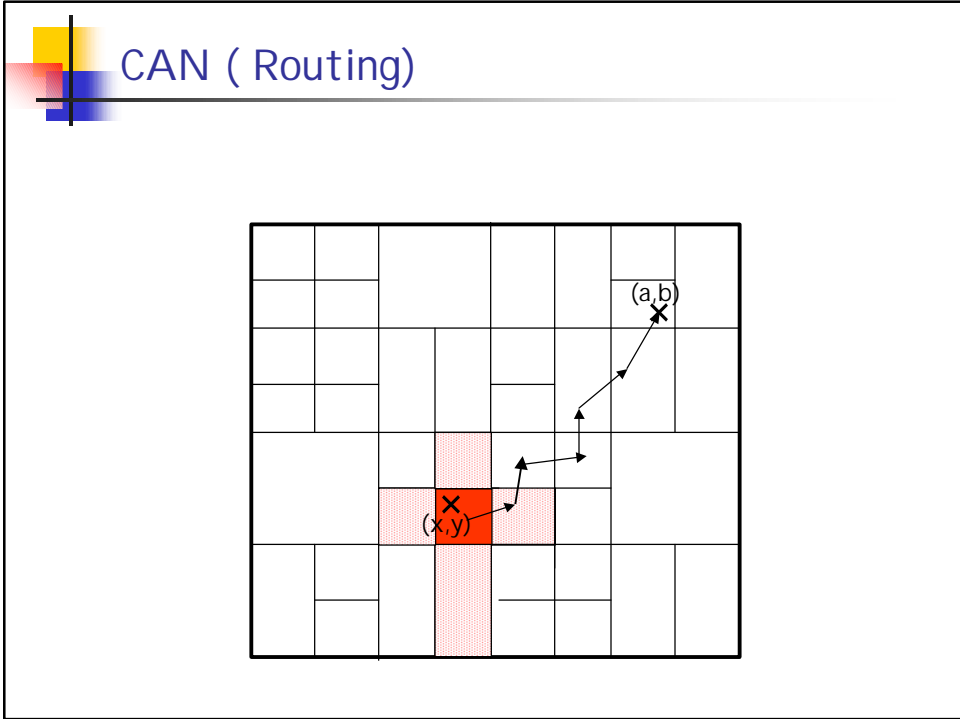
Question: What is missing in the procedure ?

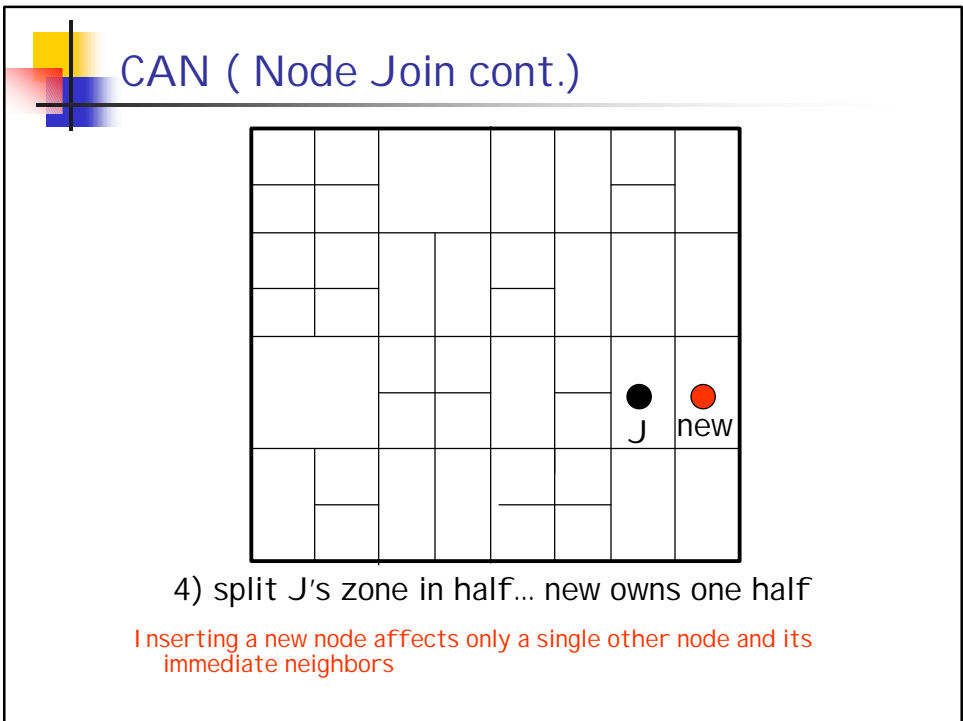
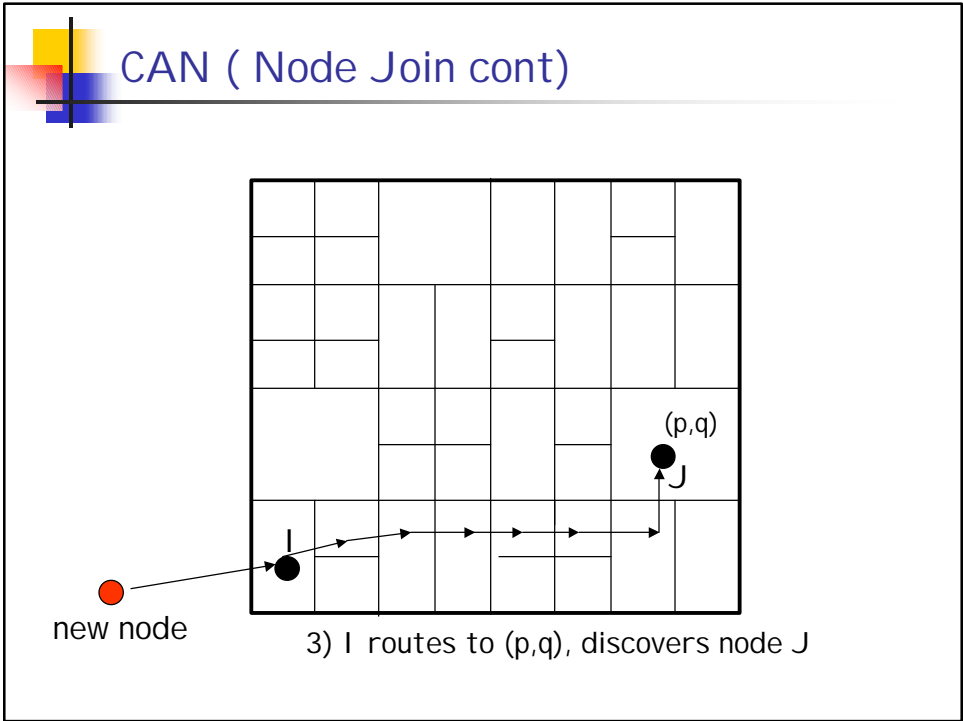
Routing !

## CAN ( Routing table)

A node only maintains state for its immediate neighboring nodes

|  |  |  |  |  |  |  |
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## CAN ( Node Failure)

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- Need to repair the space
  - recover database
    - soft-state updates
    - use replication, rebuild database from replicas
  - repair routing
    - takeover algorithm
    - when a node fails, one of its neighbors takes over its zone

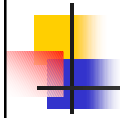
Only the failed node's immediate neighbors are required for recovery



## CAN ( Evaluation)

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- Scalability
  - For a uniformly partitioned space with **n** nodes and **d** dimensions
    - per node, number of neighbors is  $2d$
    - average routing path is  $(dn^{1/d})/3$  hops (due to Manhattan distance routing, expected hops in each dimension is  $\text{dimension\_length} * 1/3$ )
  - Can scale the network without increasing per-node state
  - Chord/Plaxton/Tapestry/Buzz
    - $\log(n)$  nbrs with  $\log(n)$  hops
- Load balancing
  - overloaded node replicates popular entries at neighbors
- Robustness
  - no single point of failure
  - Can route around trouble



## CAN (Improvements)

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- Topologically-sensitive CAN construction
  - distributed binning
- Goal
  - bin nodes such that co-located nodes land in same bin
- Idea
  - well known set of landmark machines
  - each CAN node, measures its RTT to each landmark
  - orders the landmarks in order of increasing RTT
- CAN construction
  - place nodes from the same bin close together on the CAN